LookingGlass: Generative Anamorphoses via Laplacian Pyramid Warping

Supplementary Material

A. Laplacian Pyramid Warping

In this section, we provide additional details about Sec. 4.2. In Section A.1 and A.2, we illustrate the forward and inverse warping with the example of the conic mirror, and cover some implementation subtleties for the inverse operation. Section A.3 explains how we properly blend pyramid levels in the case of partial views. Lastly, we provide pseudo-code for Laplacian Pyramid Warping in Section A.4.



Figure 10. **Conic mirror view.** Rendering the scene (a) with a top down camera yields the UV map (c) for the conic mirror case. Using Eq. (9), the associated level-of-detail map (d) is computed.

A.1. Forward Warping

We consider the conic mirror example and its corresponding warping function (Fig. 10). The forward warping operation was explained in Sec. 4.2. Figure 11.b) illustrates the result of applying forward warping to an image. In Figure 14.b), we visualize the pyramid levels in the identity view, highlighting in white the pixels used in the forward warping. For instance, pixels closer to the cone's center are mapped to an outer ring in the identity view. Because the view function is locally more compressed for these pixels, they are sampled from a higher level of the pyramid (*i.e.*, lower resolution).



Figure 11. **Warp example.** Given an image (a), we warp it to the conic mirror view (b), and warp back to the original view (c). Our multi-scale approach warps values to different frequency bands based on the local compression of the view function π .

A.2. Inverse Warping

Figure 11.c) shows the result of warping the transformed image back to the identity view: pixels closer to the cen-



w/o nearest imputation (value = -1)

w/ nearest imputation (ours)

Figure 12. **Imputation.** We use nearest neighbor imputation for pixels in $\mathbb{P}(\mathbf{x})$ that has no colors (*i.e.* did not receive gradients). We consider images with values in [-1, 1].

ter of the cone in the warped view naturally map back to a lower frequency band in the identity view, occupying larger regions at the boundary in the reconstructed image. Rigorously speaking, the output of the inverse warping is a Laplacian pyramid (see Fig. 14.g), not an image.

Implementation details. We provide a more detailed illustration of the inverse operation in Figure 16. The subfigures show:

- a) Starting from a dummy pyramid P(x⁰), we perform a Laplacian-to-Gaussian pyramid conversion to get G(x⁰) (*i.e. reparameterization*). Forward warping is then applied to obtain a warped dummy image ỹ.
- b) An L_2 loss is computed between $\tilde{\mathbf{y}}$ and \mathbf{y} , the image we wish to warp back. The gradients populate each level of the dummy pyramid, yielding $\mathbb{P}(\mathbf{x})$. The reparameterization ensures that gradients from each level flows to all levels above it.
- c) Lastly, we extract the final Laplacian pyramid $\mathbb{L}(\mathbf{x})$ from $\mathbb{P}(\mathbf{x})$ following

$$\mathbb{L}(\mathbf{x}) = \mathbb{M}(\mathbf{x}) \odot (\mathbb{P}^*(\mathbf{x}) - \mathbf{U}(\mathbf{D}(\kappa(\mathbb{P}^*(\mathbf{x})))))), \quad (11)$$

where \mathbb{M} is a pyramid of binary masks indicating pixels that have gradients, \mathbb{P}^* is the result of imputing missing values in \mathbb{P} with nearest color (more details below).

Imputation. It is important to impute the pixels that received no gradients with meaningful colors. Otherwise, if left black, the pyramid computation will pick up these discontinuities at the mask boundaries as high-frequency details, leading to incorrect values in those regions. We opt for a simple nearest neighbor imputation that fills pixels that have no gradients with the nearest pixel value. Figure 12 illustrates the difference between no imputation (default value 0) and our nearest imputation.

Comparison with baselines. In Figure 13, we compare our Laplacian-based inverse warping with standard warping using nearest or bilinear interpolation. Because the view function has extreme compression around the cone center, this translates to missing values on the outer ring when warping back with nearest or bilinear, as some pixels in the identity view are not sampled during forward warping due to the compression. We showed in Fig. 6 that this can lead to artifacts in the generated image.

It is worth noting that another way to avoid missing values could be to do a *forward* warping with the *inverse* UV map. However, the inverse map is usually not trivial to compute. Additional problems arise when the mapping is not bijective or has discontinuities, which can be quite tricky to solve in a robust way. In contrast, our method automatically handles these cases, and only requires the forward UV map, which is easily obtainable through simple rendering of the desired view.



Figure 13. **Backward warping baseline comparison.** In regions where the view function is compressing, standard interpolation like nearest (a) or bilinear interpolation (b) creates holes, while our Laplacian Pyramid Warping ensures smooth results (c).

A.3. Pyramid Blending

As explained in Sec. 4.2, special care needs to be taken when blending the pyramids.

Blending with partial views. In standard Laplacian Pyramid Blending, the blended pyramid is obtained by averaging each level of the input pyramids. Given two pyramids \mathbb{L}^0 , \mathbb{L}^1 , the level k of the blended pyramid \mathbb{L} is given by:

$$\mathbb{L}_{k} = \frac{1}{2} \left(\mathbb{L}_{k}^{0} + \mathbb{L}_{k}^{1} \right).$$
(12)

In our case, Laplacian pyramids come from inverse warping of views, and might look like Fig. 11.c), with missing values. In this case, the average should only be computed over defined pixels. Assuming each level \mathbb{L}_k is associated with a binary mask \mathbb{M}_k , the blending is:

$$\mathbb{L}_{k} = \frac{1}{\mathbb{M}_{k}^{0} + \mathbb{M}_{k}^{1}} \left(\mathbb{M}_{k}^{0} \odot \mathbb{L}_{k}^{0} + \mathbb{M}_{k}^{1} \odot \mathbb{L}_{k}^{1} \right).$$
(13)

In practice, we map missing values to torch.nan, and use torch.nanmean() to perform averaging.



(g) backward warping: final Laplacian pyramid returned by backward warping $\mathbb{L}(x)$

Figure 14. **Intermediate pyramids.** We visualize some intermediate pyramids that appear in forward (a, b) and backward warping (c-g). Refer to the text and Fig. 16 for more context.

Detail-preserving averaging. Another issue with averaging in general is that it reduces variance and washes out details. While this is already improved with the Laplacian pyramid, averaging still leads to the loss of sharp details. Given two pixel values $x, y \in [-1, 1]$, we define a normal averaging avg and a value-weighted averaging vavg:

$$avg(x,y) = \frac{1}{2}(x+y), vavg(x,y) = \frac{|x|x+|y|y}{|x|+|y|}$$
 (14)

The value-weighted average will give more weights to extreme pixel values, hence preserving better the value range. In the results shown, we linearly interpolate between the two types of averaging through a parameter $\alpha \in [0, 1]$:

$$z = \operatorname{avg}(x, y) + \alpha(\operatorname{vavg}(x, y) - \operatorname{avg}(x, y)).$$
(15)

Figure 15 shows the effect of α for two examples with the cylinder mirror. When standard averaging is used ($\alpha =$



Figure 15. Effects of parameter α . The parameter affects how views are merged together at each level of the pyramid. $\alpha = 0$ corresponds to standard average, while $\alpha = 1$ gives more weights to pixels with extreme values, preserving the details in all the views.

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0), the image looks blurrier. However, when value-weighted 57 58 average is used ($\alpha = 1$), all details from both views are 59 preserved, creating very saturated, over-sharpened results. 60 61 In most of our results, we opt for $\alpha \in [0.25, 0.5]$. 62

A.4. Pseudo-code

We provide a pseudo-code for our novel Laplacian Pyramid warping. Some notes:

- 1.8: _compute_lod_level returns the LOD level map 70 as a (H, W) tensor using Equation (9);
- 1.29: pyrStack takes a pyramid, upsamples all levels 74 75 to highest resolution, and stacks them along a dimension; 76
- 1.73: impute_with_nearest fills missing values with nearest ones in the image given the mask.

```
def _get_grid(warp, maxLOD):
    Takes in numpy array warp of shape (1, 3, 1024, 1024)
    # compute lod and normalize to (-1, 1)
    mapping = 1024 * warp[:, :2]
    lod = _compute_lod_level(mapping, maxLOD=maxLOD)
lod = 2 * lod / maxLOD - 1.0 # (h, w)
    lod = lod.unsqueeze(0).unsqueeze(-1)
    # normalize uv to (-1, 1)
    grid = torch.tensor(warp[:, :2]).permute(0, 2, 3, 1)
    mask = torch.all(grid == 0.0, dim=-1, keepdim=True)
    mask = mask.expand(-1, -1, -1, 2)
    grid[mask] = torch.nan # replace undefined with NaN
    grid = 2 * grid - 1
    # combine into a 3D coordinate grid (lod, u, v)
    grid = torch.cat([lod, grid], -1).unsqueeze(1)
    return grid # (1, 1, dim, dim, 3)
def view(lp, warp, leveln):
    # get 3d coordinate grid
    grid = _get_grid(warp, maxLOD=leveln-1)
    # sample values
    layers = pyrStack(lp, dim=-1)
    new_im = F.grid_sample(
        lavers,
        grid,
        mode='nearest',
        padding_mode="zeros",
        align_corners=True,
    ).squeeze(2)
    # replace by NaN where image is 0
    new_im[new_im == 0.0] = torch.nan
    new_im = torch.nanmean(new_im, 0).half()
    return new_im
def inverse_view(im, warp, leveln):
    c, h, w = im.shape
    grid = _get_grid(warp, maxLOD=leveln - 1)
    with torch.enable_grad():
        # create an empty pyramid
        opt_var = torch.zeros(1, c + 1, h, w)
        opt_var = LaplacianPyramid(opt_var, leveln)
        for lvl in opt_var:
            lvl.requires_grad_()
        # convert to Gaussian pyramid
        opt_gp = Laplacian2Gaussian(opt_var)
        target = torch.cat([im, torch.ones_like(im[:1])])
        layers = pyrStack(opt_gp, -1).float()
        warped = F.grid_sample(
            lavers,
            arid,
            mode='nearest',
padding_mode="zeros",
            align_corners=True,
        ).squeeze(2)
        loss = 0.5 * ((warped - target) * 2).sum()
        loss.backward()
        result = [-l.grad.detach() for l in opt_var]
        result = [(r[:, :c] / r[:, -1:]) for r in result]
    # extract laplacian pyramid
    for k in range(leveln - 1):
        mask = torch.isnan(result[k])
        imputed = impute_with_nearest(result[k], ~mask)
        result[k] = imputed - pyrUp(pyrDown(imputed))
        result[k][mask] = torch.nan
    return result
```



Figure 16. **Detailed look at inverse warping.** We provide an illustration to Equation (10), explaining how to obtain the final Laplacian pyramid using back-propagation, as mentioned in the main paper.

B. Additional Ablations

We provide more qualitative ablations to show the effects of Laplacian warping, view prioritization, and time travel.

B.1. Prioritizing a Single View

In Section 4.3, we proposed to let the last x% of the denoising process only denoise a single one of the views. Figure 17 shows the effect of varying values of x for an example with 90° rotation. As the ratio increases, details from the first view ("a snowy mountain village") dominate over the second view ("a horse"). This is a useful parameter to control the trade-off between views.



Figure 17. **Prioritizing a single view.** We show the effect of prioritizing the first view ("*a snowy mountain village*") over the second ("*a horse*") in the example of 90° rotation.



Figure 18. **Time travel.** We show the effect of time traveling for the flip example ("a giraffe head" / "a penguin") with two different sampled seeds. Time traveling is only applied for timesteps between 20% and 80%, by repeating each step N times.

B.2. Time travel

We show in Figure 18 that time traveling is an effective strategy for improving image consistency and blending between views. Without time traveling (N = 1), the *penguin* and the *giraffe head* seem like two independent entities overlayed on top of each other in the image. As the repeating number N increases, the two views align better, resulting in a sharper image with more coherent details.

Obviously, runtime scales linearly with the repeating number. In Burgert et al. [4], image quality and blend-

ing quality are entangled, and improving with the number of optimization steps. Here, time traveling is only responsible for blending quality, but is independent of the generated image quality. We believe this provides a more intuitive control parameter than the number of optimization steps.

Naturally, better blending still yields better overall quality, which explains the lower FID in Table 2. However, it seems to come at the cost of slightly worse prompt alignment. We hypothetize that blending better means making more compromise between views, which in turn makes it harder to match the prompts as well.



Figure 19. **Baseline ablation.** We consider the cone mirror example with two views ("a tropical jungle forest"/"a raccoon". We show successively the effect of Laplacian Pyramid Warping (LPW), value-weighted average (α), time traveling, and single-view prioritization.

B.3. Comparison with Baseline

Lastly, we show in Figure 19 the effects of these different features. Laplacian Pyramid Warping addresses the artifacts at the edge of the ring, visible in the baseline. Value-weighted average recovers sharp details lost in standard averaging. Time traveling ensures a smoother blending, while single-view prioritization adds back the final details in the identity view without destroying the second view.

C. Quantitative Evaluation Details

We provide additional details regarding the quantitative evaluation in this section.

Dataset generation. Similar to Geng *et al.* [18], we use a custom list of 50 prompt pairs in the form of [<style>, <prompt1>, <prompt2>] for our quantitative evaluation. These are a mix between prompt pairs from Visual

Anagrams' paper [18], and from querying ChatGPT. For each method, we generate 10 samples per prompt pair. This results in 500 pairs of images, *i.e.* 1k images per method. For FID/KID computation, we generated a reference dataset comprised of 3.2k images from SD3 and 3.2k images from SD3.5 following the same prompts (only single view).

Comparing with prior work. For Visual Anagrams [18], we used the original codebase from Geng *et al.*: https://github.com/dangeng/visual_anagrams. Results are generated with DeepFloyd IF [1] in two stages, and subsequently up-sampled to 1024×1024 using Stable Diffusion x4 Upscaler, as provided by the code.

For Burgert et al. [4], we used the available codebase at (https://github.com/RyannDaGreat/ Diffusion-Illusions) and added a function to rotate the inner circle of an image by 135°. Each image is generated with 1000 optimization steps using Stable Diffusion v1.4, the default model from their codebase.

Lastly, we set the hyperparameters of our pipeline to replicate the original implementation of Tancik [37] and SyncTweedies [23]. The results are generated with Stable Diffusion 3.5 Medium, as in our method.

Runtime. We generate our results with Stable Diffusion 3.5 Medium on a Nvidia GeForce RTX 4090 GPU. With 30 steps of inference and time traveling between 20% and 80% repeating 2 times, we can generate an image pair in ~ 80 s.

Geng et al. [18]	Tancik et al. [37]	SyncTweedies [23]	Burgert et al. [4]	Ours SD 3.5
18.6s	17.2s	18.8s	176.0s	79.4s

Table 3. Inference time comparison.

D. Using Other Latent Models

Most of our results were generated using Stable Diffusion 3.5. However, we also experimented with other models such as SD2.1 and SDXL.

Here, we show a simple experiment with *two identity views* associated with two distinct prompts. This way, we abstract out the VAE, as well as other problems that come from warping. The results are shown in Figure 20 for two pairs of prompts. Interestingly, even in such a simple setting, not all models behave the same: SD2.1 tend to generate images with poor quality, while SD3+ attempts to blend the two concepts by compositing them as much as possible. Curiously, SDXL seems to blend the concepts *semantically*: "a snowy mountain village" and "a horse" give horses *in* a village, while "people at a campfire" and "an old man" produce "old men at a campfire".

While intriguing, this is not ideal for ambiguous images, as the goal is more to blend *spatially* the different views. Further investigation is needed to explain the discrepancy between SDXL and SD3+, possibly due to the switch from diffusion to flow matching or from U-Net to a transformer backbone. A deeper study is left for future work.



Figure 20. **Comparing different models for two-view setting.** We consider the case of two identity views, associated with two distinct prompts. While most models blend the two concepts *spatially*, SDXL seems to blend them *semantically*.

E. User Study

As mentioned in Section 5.5, we conducted a user study over 27 participants to compare human preferences between our proposed method and existing prior work.

Study structure. The study consists of three sections, each corresponding to a different type of anamorphosis: cylindrical mirror, conic mirror, and Niceron's lens. Each section begins with an example image and video demonstrating how the illusion works. Participants are then shown 10 different samples generated from 10 pairs of prompts. These prompts remain the same across all three sections to avoid bias. Additionally, the order in which the methods are presented is randomized for each sample. To ensure a fair

comparison, we first display the results in high resolution before asking users to rank them (see Fig. 21).

Ranking criteria. Participants are asked to provide a ranking of the five methods from 1 (best) to 5 (worst). At the beginning of the study, they are instructed to evaluate the images based on the following criteria:

- Match both text prompts: When viewed directly (resp. through a mirror or lens), the image should correspond to the first (resp. second) prompt.
- Maintain the specified style: The image should adhere to the given style prompt (*e.g.* painting, photograph).
- **Be high-quality:** The final image should be sharp, detailed, and visually appealing.

F. Failed Experiments

Relative negative prompting. In Visual Anagrams [18], the authors note that including other views in the negative prompt does not improve substantially the visual quality. Moreover, prompt conflicts can arise. For example, the prompts "an oil painting of a village" and "an oil painting of a horse" both share the style descriptor "an oil painting of", which should not be included in the negative prompt. Similarly, prompts like "a cat" and "a dog" share features such as fur. If these shared features appear in both the negative prompts, it can lead to suboptimal results.

We experimented with a variant of this, which we dub *relative negative prompting*. The idea is to put in the negative prompt only the relative direction between the positive prompt (from the current view) and the negative prompt (from the other view). Thus, we subtract the positive prompt embedding from the negative one. Our experiments showed that this removes the need to manually select which part to keep for the negative prompt. In the example of the shared style, our difference vector cancels it out automatically, and the model is thus still able to generate the correct style. However, similar to Geng *et al.* [18], we did not observe substantial improvement using this method.

G. Choosing Prompts & Failure Cases

The quality of the generation relies on choosing a good style and pair of prompts. Here are some tips we found for generating good anamorphoses:

- 1. a place or location (*e.g.* jungle, desert, library etc.) gives a lot of freedom to the composition and generally works well for the identity view;
- the second view is generally seen through some mirror or a lens, which is smaller than the main image. For this view, easily recognizable subjects like animals or faces are good prompts in most cases;
- 3. artistic styles are more prone to produce good results than photorealistic styles;

Start of the section: example image pair and video showing the illusion type

Image sample pairs from five methods in high resolution for better viewing

Users are asked to rank the five samples based on textprompt adherence, style matching, and overall visual quality





4. styles with no colors (*e.g.* sketches, ink, marble sculpture) will generate better results when the two prompts have very different color palettes.

Our method is still prone to fail in certain cases. For example, the model can still cheat and put all the views in the image without properly blending them (see Figure 22).



Figure 22. **Failure case.** Similar to Geng *et al.*, our method can cheat and put both views in the image without properly mixing them. In this example, the shark from the cylinder mirror view can be seen in the sky behind the wind turbines.

H. Concurrent Work

After our initial submission, a preprint titled "*Illusion3D*: 3D Multiview Illusion with 2D Diffusion Priors" [16] appeared on arXiv, addressing a similar problem. While their code is not available at the time of writing, we identified a few key differences between our method and theirs.

First, Illusion3D builds on optimization-based approaches like Burgert et al. [4], whereas our method improves upon feedforward techniques [18, 37], generating images in a single inference pass. Their approach replaces Score Distillation Sampling (SDS) [4] with Variational Score Distillation (VSD), which requires training a LoRA module during optimization. Due to the inherent limitations of score distillation methods, we believe our approach produces higher-quality images while supporting a broader range of styles, from artistic to photorealistic, as demonstrated in Section I.

A key advantage of Illusion3D, however, is its ability to generate full 3D structures, which our method does not support. That said, our approach can still generate 2D textures for mapping onto 3D surfaces, similar to their sphere or cube illusions. Lastly, we expect our method to have significantly lower generation time and memory requirements compared to Illusion3D.

I. Additional Results

In the next pages, we show additional qualitative results for the three anamorphic views: cylinder mirror, conic mirror, and Nicéron's lens. Please refer to the supplementary videos to see these anamorphoses in action. Table 4 shows additional quantitative evaluations.

	Method	$\mathcal{S}\uparrow$	$\mathcal{S}_{0.9}\uparrow$	$\mathcal{A}\uparrow$	$\mathcal{A}_{0.9}$ \uparrow	$\mathcal{C}\uparrow$	$\mathcal{C}_{0.9}\uparrow$	$\mathrm{FID}\downarrow$	$\mathrm{KID}\downarrow$
Vertical Flip	Geng et al. [18]	0.325	0.362	0.306	0.340	0.695	0.786	149.24	0.057
	Tancik SD 3.5 [37]	0.328	0.367	0.306	0.349	0.693	0.806	132.52	0.049
	Burgert et al. [4]	0.303	0.347	0.281	0.324	0.679	0.778	219.84	0.115
	SyncTweedies [23]	0.323	0.360	0.302	0.341	0.707	0.801	132.62	0.054
	LookingGlass (ours)	0.320	0.358	0.297	0.338	0.680	0.779	124.67	0.049
135° Rotation	Geng et al. [18]	0.284	0.340	0.262	0.308	0.563	0.652	293.00	0.254
	Tancik SD 3.5 [37]	0.203	0.225	0.194	0.216	0.498	0.509	439.35	0.545
	Burgert et al. [4]	0.301	0.347	0.280	0.326	0.654	0.760	223.21	0.120
	SyncTweedies [23]	0.308	0.354	0.283	0.335	0.647	0.753	166.03	0.083
	LookingGlass (ours)	0.319	0.357	0.295	0.338	0.666	0.767	129.74	0.055
Cylindrical Mirror	Geng et al. [18]	0.190	0.228	0.171	0.198	0.506	0.546	285.23	0.216
	Tancik SD 3.5 [37]	0.189	0.225	0.171	0.198	0.505	0.547	284.97	0.215
	Burgert et al. [4]	0.285	0.334	0.261	0.304	0.706	0.795	229.65	0.138
	SyncTweedies [23]	0.285	0.348	0.241	0.284	0.673	0.763	138.69	0.082
	LookingGlass (ours)	0.307	0.360	0.272	0.318	0.698	0.810	130.27	0.070

Table 4. Additional quantitative comparison. We additionally assess image-prompt alignment using CLIP similarity score S on all three transformations evaluated in the main paper. While all methods achieve comparable results for the vertical flip, LookingGlass surpasses previous approaches on more complex transformations, including anamorphoses.

circle rotation 135°

vertical flip



a painting of... a table / waterfalls



a watercolor painting of... a ship / a village in the mountains



a watercolor painting of... a horse / a snowy mountain village

Figure 23. **2D transform results.** Here are some generated results for the two 2D transforms: vertical flip, and 135° rotation (not supported by Geng *et al.* [18]).



a cinematic rendering of rolling hills in golden light / turtle

an oil painting of sunlit canyon with straight cliffs / bull



an oil painting of desert dunes at sunset / jellyfish



a clay sculpture of cobblestone street / cheetah



a charcoal drawing of flower garden with rows of tulips / fox

a paper collage of mountain pass / lion

Figure 24. **Cylinder mirror anamorphosis.** In this figure and the two following ones, we show additional results for the cylinder mirror example. Each example contains the identity view, the mirror view as predicted by the flow model, and a rendering of the actual physical setting to validate our examples. Kindly refer to the supplementary videos to see these results in action.



an oil painting of highland moor with stone walls

an oil painting of hedgehog

a hyperrealistic sculpture of windy desert

a hyperrealistic sculpture of walrus



a lithograph of frozen waterfall

a metal engraving of rooftops of a dense city





a metal engraving of fox

a lithograph of cougar

> oil painting of highland moor with stone walls

a bronze statue oj mangrove forest

4

oil painting of hedgehog d

a bronze statue of cougar

> a hyperrealistic sculpture of windy desert

a metal engraving of rooftops of a dense city a metal engraving of fox



of walrus



a clay sculpture of aquarium tunnel / polar bear



a pixel art version of flower petals close-up / canoe



a stained glass depiction of straight coastline / lion

a 3D rendering of straight ski tracks / polar bear



a cinematic rendering of icy cave with stalactites / parrot

a pointillism painting of straight canal lined with trees / butterfly

Figure 27. **Conic mirror anamorphosis.** In this figure and the two following ones, we show additional results for the conic mirror example. Each example contains the identity view, the mirror view as predicted by the flow model, and a rendering of the actual physical setting from the top to validate our examples. Kindly refer to the supplementary videos to see these results in action.











a comic book panel of medieval castle gate









a shadow puppet silhouette of desert canyon floor



a hyperrealistic sculpture of icy cave with stalactites



iined glass depiction of aquarium tunnel



a cinematic rendering of flower meadow at sunrise



a 16-bit sprite of flower petals close-up





y sculpti cheetah

hyperrealistic sculpture of fox





a cinematic rendering of iguana



a 16-bit sprite of eagle



a fresco painting of flower petals close-up



a wireframe rendering of desert dunes at sunset







a cut-paper silhouette of volcanic crater



motorcycle

a fresco painting of bull



wireframe rendering



-poly n wolf





a cut-paper silhouette of macaw









a black-and-white photo reindeer







a black-and-white photo of aquarium tunnel





a futuristic concept art of bamboo forest

a futuristic concept art o fox

a 16-bit sprite of mountain pass

a 16-bit sprite gecko

a line drawing of mirror-like frozen pond

a line drawing lizard



a 16-bit sprite of desert oasis / dragon

a lithograph of horizon of a wheat field / rabbit



a vintage poster of dense tropical rainforest / deer



a hyperrealistic sculpture of straight ski tracks / motorcycle



a hyperrealistic sculpture of windy desert / walrus

a pencil sketch of harbor pier / lion

Figure 30. **Nicéron's lens anamorphosis.** In this figure and the two following ones, we show additional results for the lens example. Each example contains the identity view, the lens view as predicted by the flow model, and a rendering of the actual image through the lens to validate our examples. Kindly refer to the supplementary videos to see these results in action.







an oil painting oj bull

a low-poly model of dragon

a digital illustration of fox











a photo of excavator



a low-poly model of icebergs in the ocean



a digital illustration of beach with straight shoreline & waves



a low-poly model of straight coastline







a pencil sketch of castle walls with battlements



a cinematic rendering of ocean waves

-poly model wolf



a pencil sketch of deer



a cinematic rendering of horse





a chalkboard drawing of bamboo forest







a marble carving of horizon of a wheat field











a chalkboard drawing of lobster



embroidered version frog





















a pastel artwork of cheetah











